

Picture F.N.M. Brown

Mechanism of Drag Reduction by Dimples on a Sphere

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ME 801

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The Big Ideas

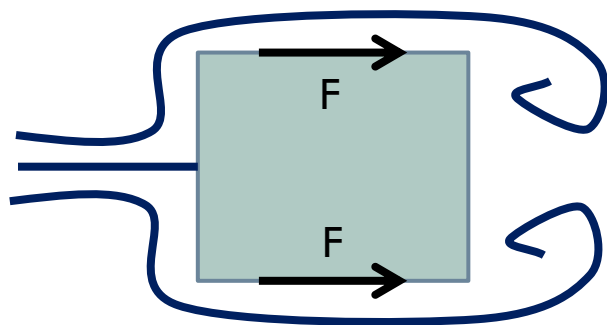
Previous experiments have found:


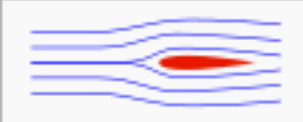

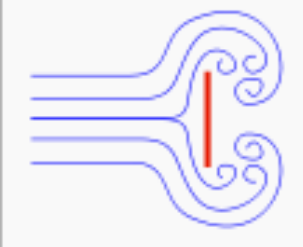
- Dimpled spheres to have up to 50% reduction of drag of smooth spheres
- The drag on a ball to become constant above certain Reynolds' Numbers (Ball Speeds)

Basics of Drag

Skin Friction:

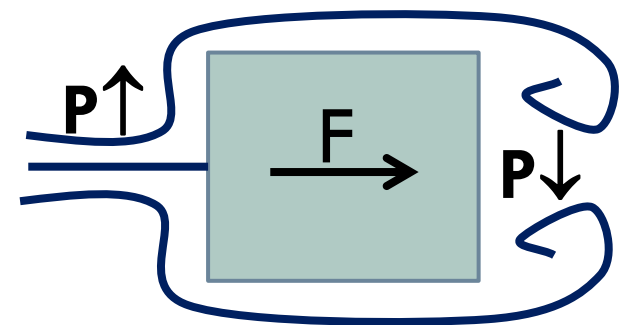
Viscous shear stresses on surface of the object



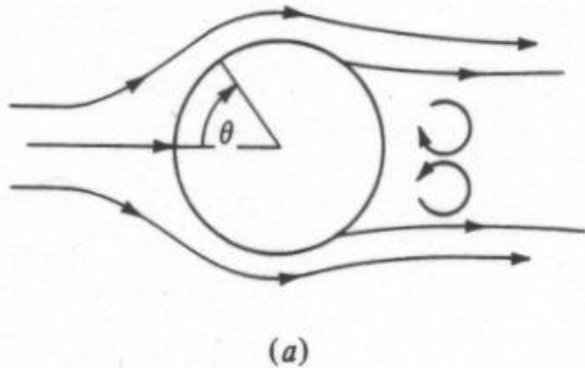
Shape and flow	Form drag	Skin friction
	0%	100%
	~10%	~90%
	~90%	~10%
	100%	0%

Form Drag:

Pressure difference on the object

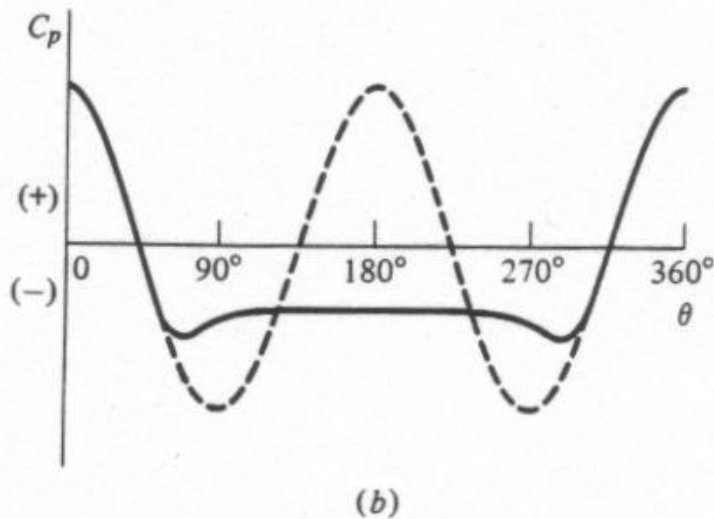


Pressure Coefficient over a Sphere



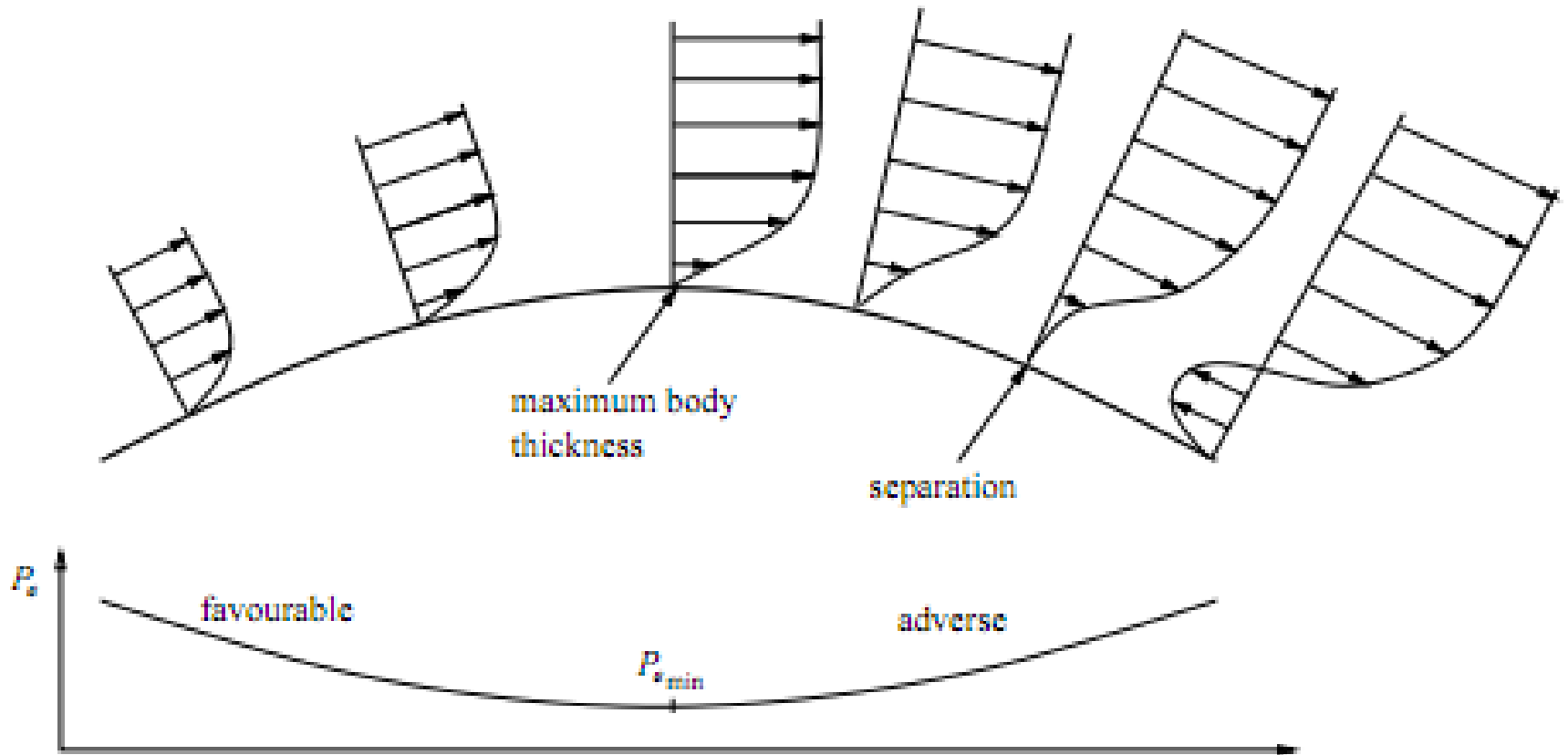
□ Potential flow solution predicts no drag due to pressure [D'Alembert's Paradox] (dotted line)

□ When viscosity is accounted for, separation occurs and the flow is no longer symmetric (solid line)



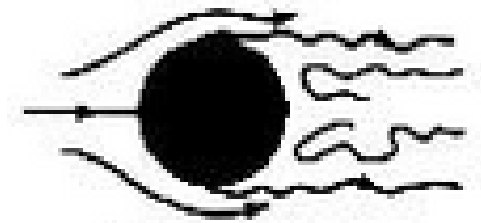
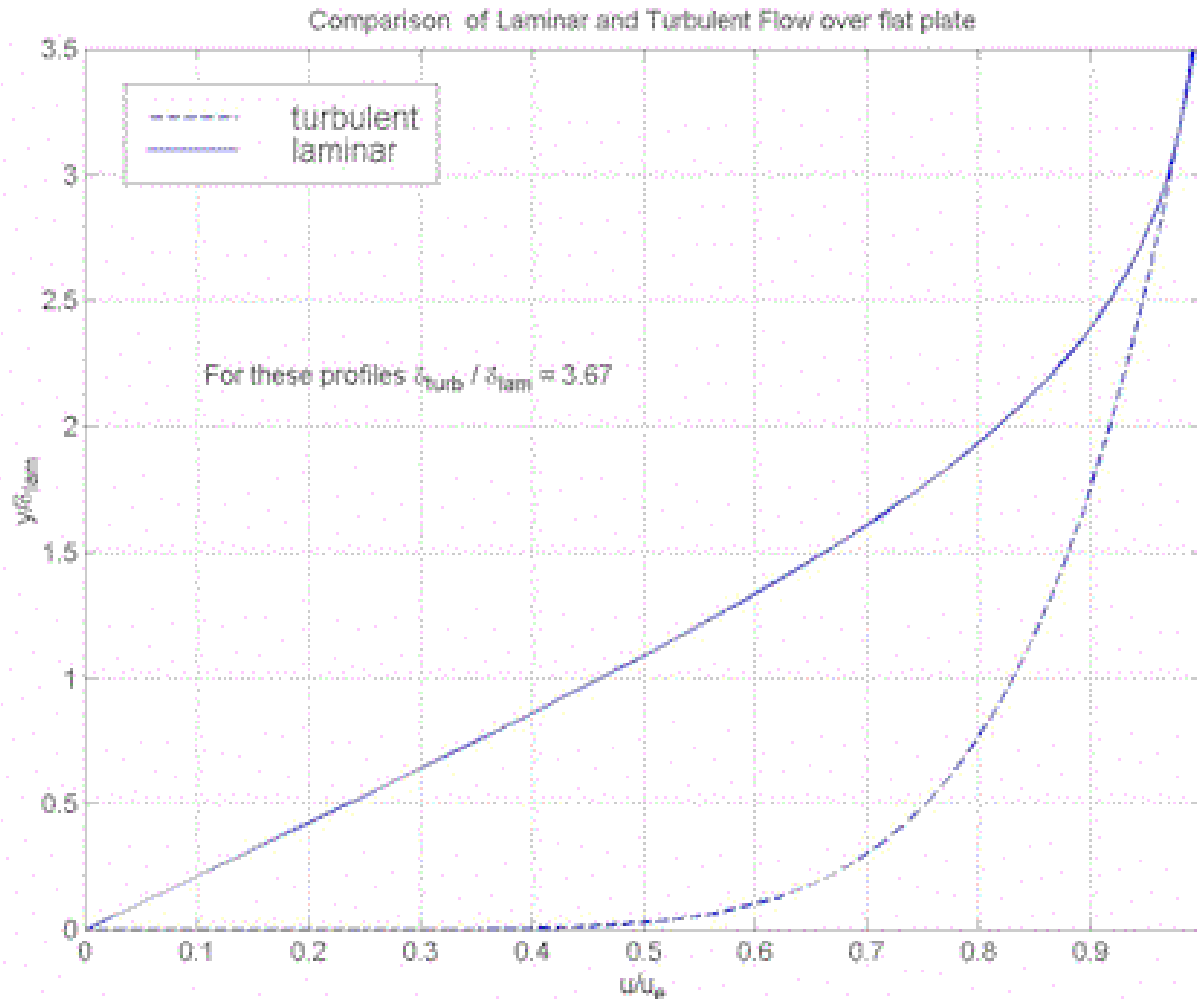
<http://qm-aerospace.blogspot.com/2007/03/why-do-golf-balls-have-dimples.html>

Boundary Layer Separation

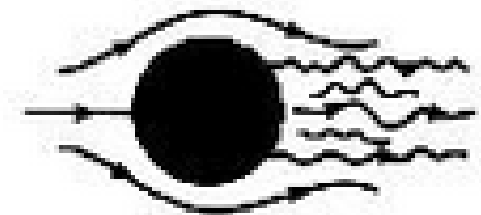


Separation occurs when the pressure gradient overcomes the momentum

Laminar vs Turbulent Boundary Layers

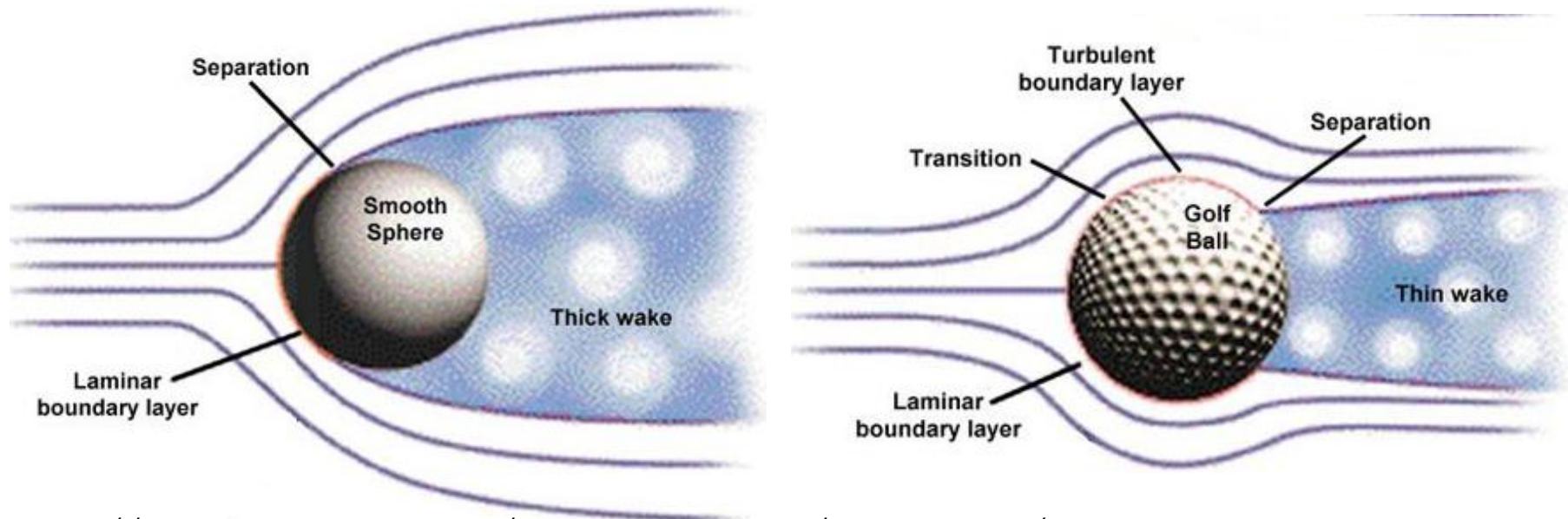


Laminar
boundary layer



Turbulent
boundary layer

Motivation



http://www.sciencebuddies.org/science-fair-projects/project_ideas/Sports_p012.shtml

- Dimples induce a turbulent boundary layer, which has higher momentum and thus delays separation
- At $Re > 10^4$, the majority of drag on a sphere is due to pressure difference, not skin friction

Findings

- Dimples reduce drag on a sphere as much as 50% when compared to a smooth surface
- The drag coefficient remains constant over a range of Reynolds numbers
- Turbulent boundary layer is caused by separation bubbles in dimples

Definitions

Reynolds Number

$$Re_d = \frac{U_o d}{\nu}$$

d = sphere diameter
 U_o = Free Stream Velocity
 ν = kinematic viscosity

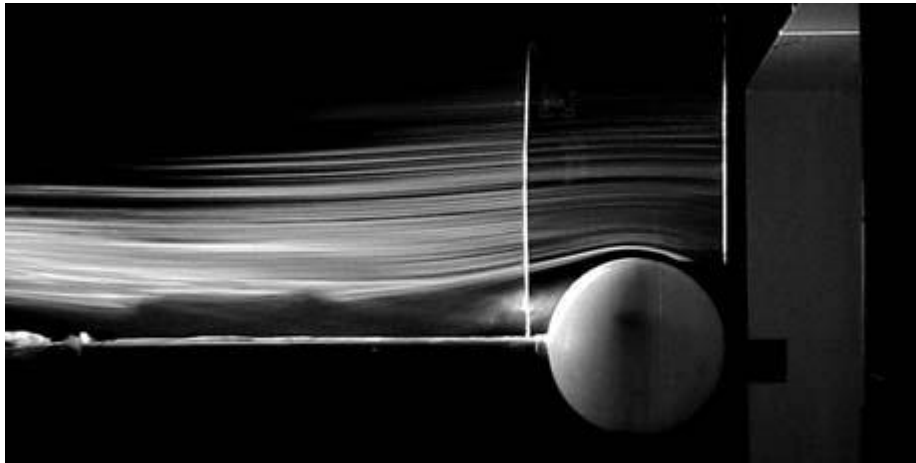
Drag Coefficient

$$C_D = \frac{D}{\frac{1}{2} \rho U_o^2 A}$$

D = Drag Force
 A = Cross Sectional Area
 ρ = Density
 U_o = Free Stream Velocity

Experimental Setup

Tiger Woods ball speed
 $185\text{mph} = 83\text{m/s}$



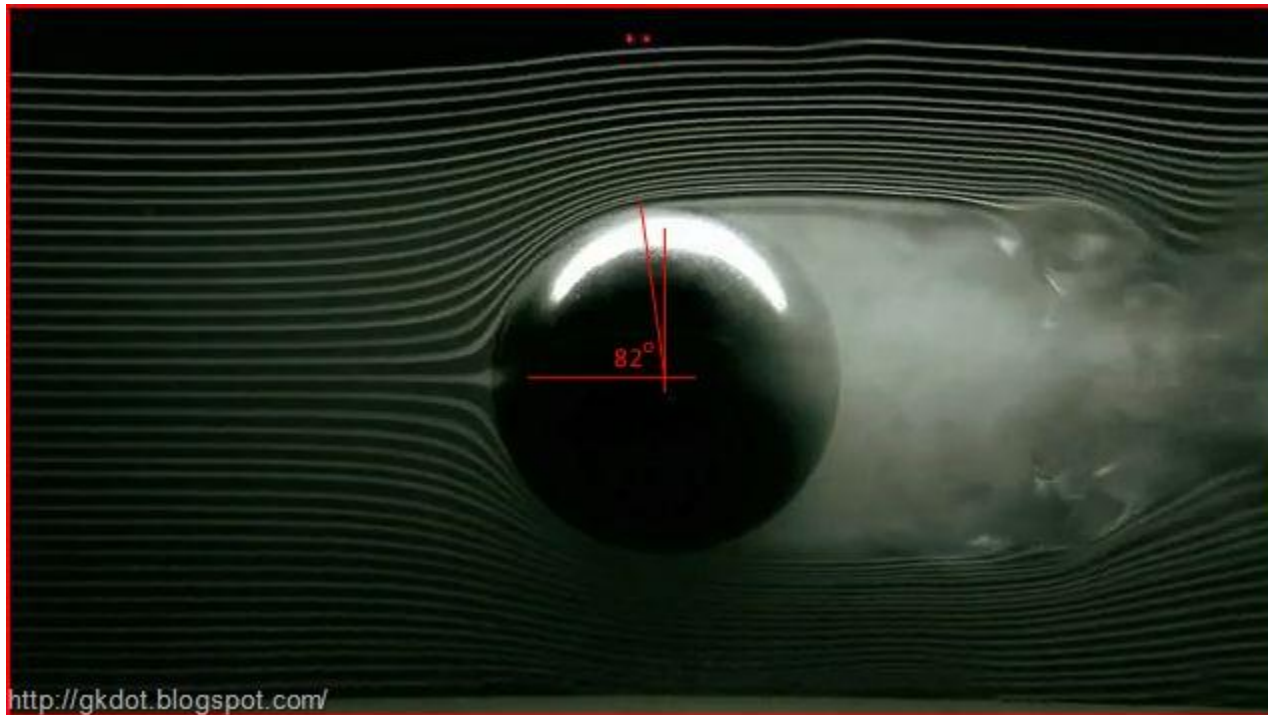
(Jeon S, Choi J, Jeon WP, Choi H, Park J)

- Free stream velocities varied from 5-28 m/s
- Reynolds numbers 0.5×10^5 - 2.8×10^5
- Maintains laminar boundary layer over smooth sphere



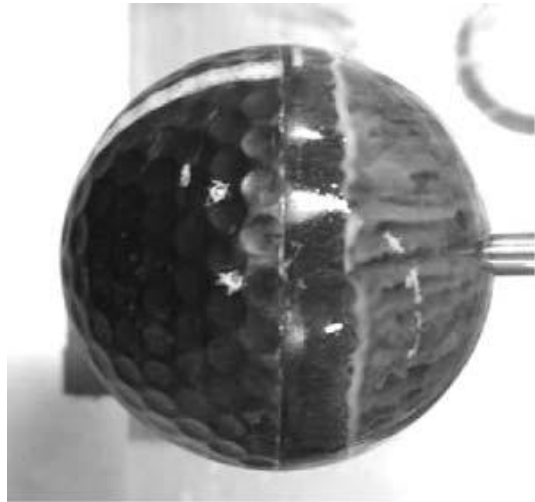
(Choi J, Jeon WP, Choia H)

Flow Over a Smooth Cylinder

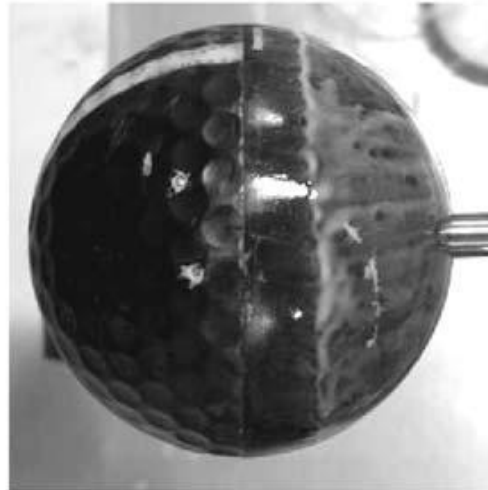


The separation angle over a smooth golf ball sized sphere was measured at 82° for $0.5 \times 10^5 \leq Re \leq 2.8 \times 10^5$

Visualization of Flow Separation

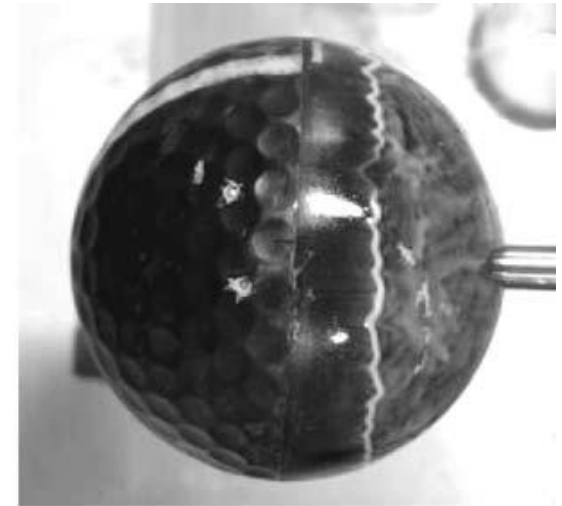


$Re = 1.0 \times 10^5$



$Re = 1.4 \times 10^5$

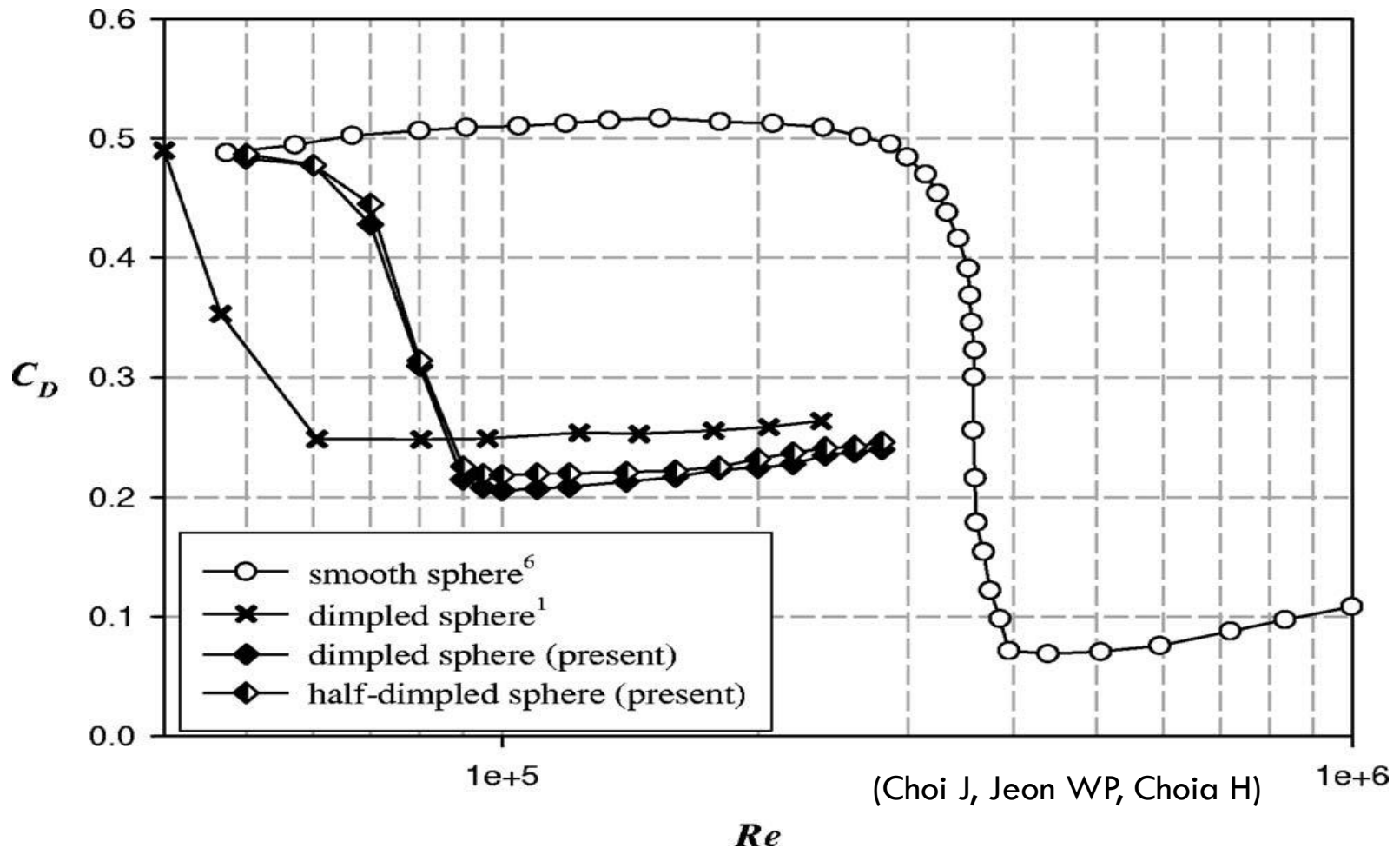
(Choi J, Jeon WP, Choia H)



$Re = 2.0 \times 10^5$

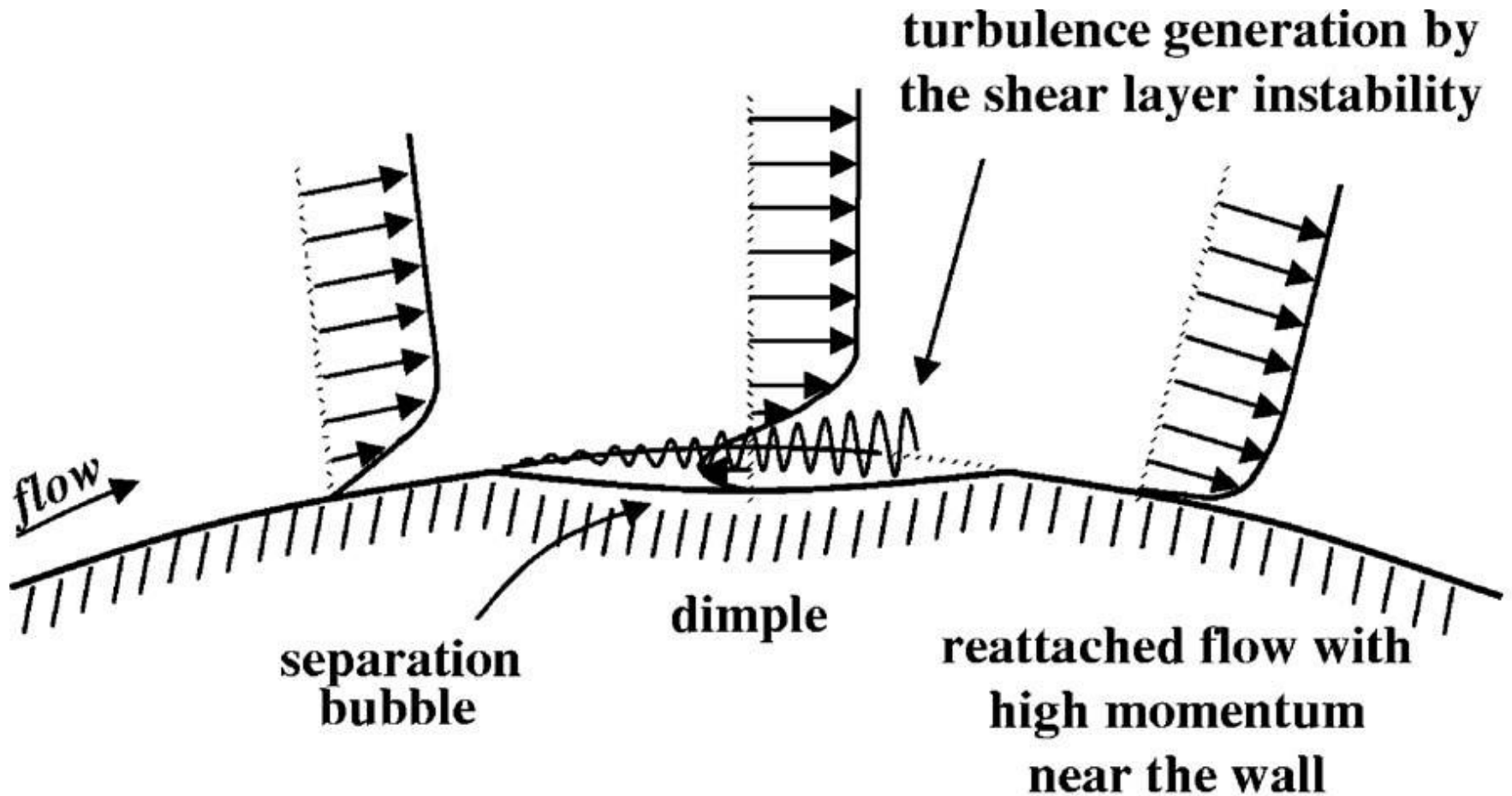
- ❑ Separation is delayed to $\phi=110^\circ$
- ❑ Separation angle constant for $Re \geq 0.9 \times 10^5$
- ❑ The trailing edge of the tested sphere is smooth to better show separation

Measured Drag Coefficient



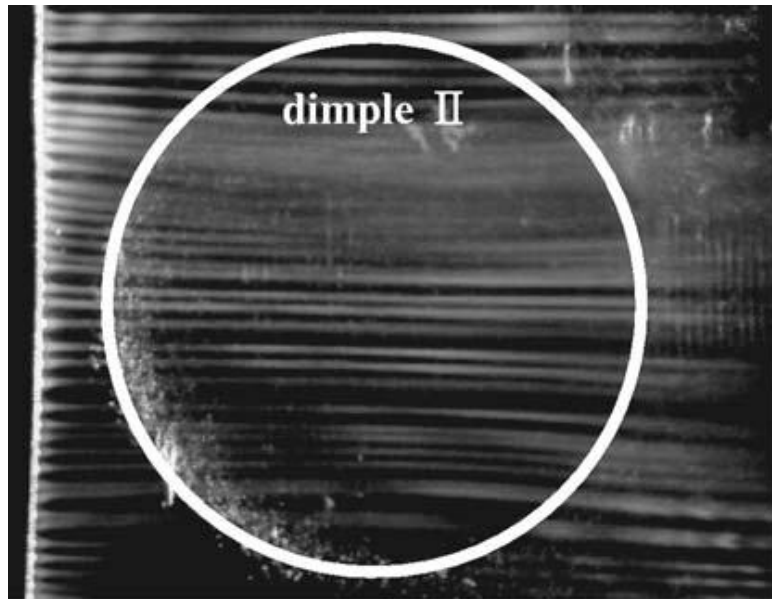
Drag Coefficient constant for $Re \geq 0.9 \times 10^5$

Effect of Dimples



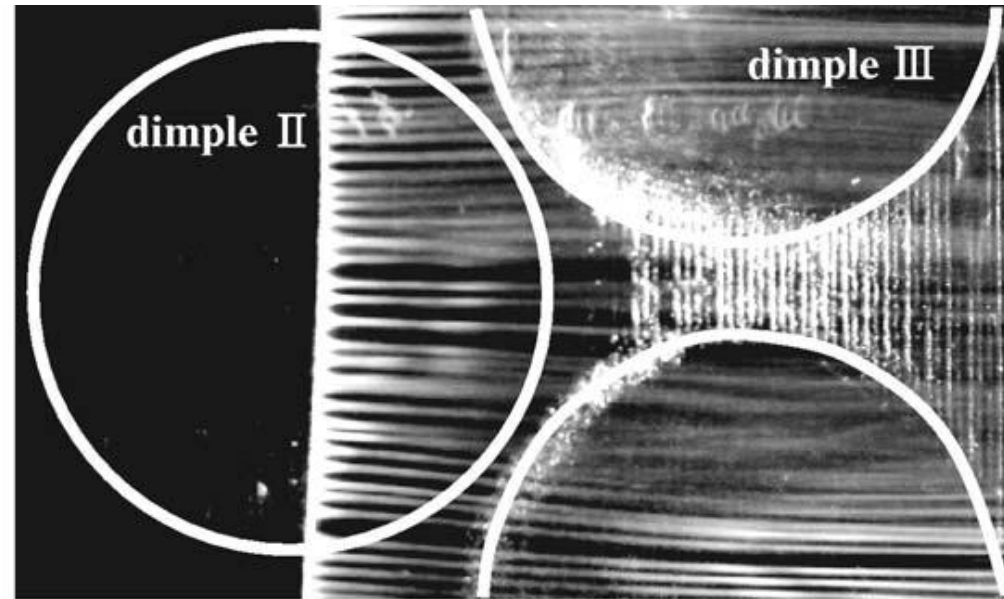
(Choi J, Jeon WP, Choia H)

Smoke Wire Test



(a)

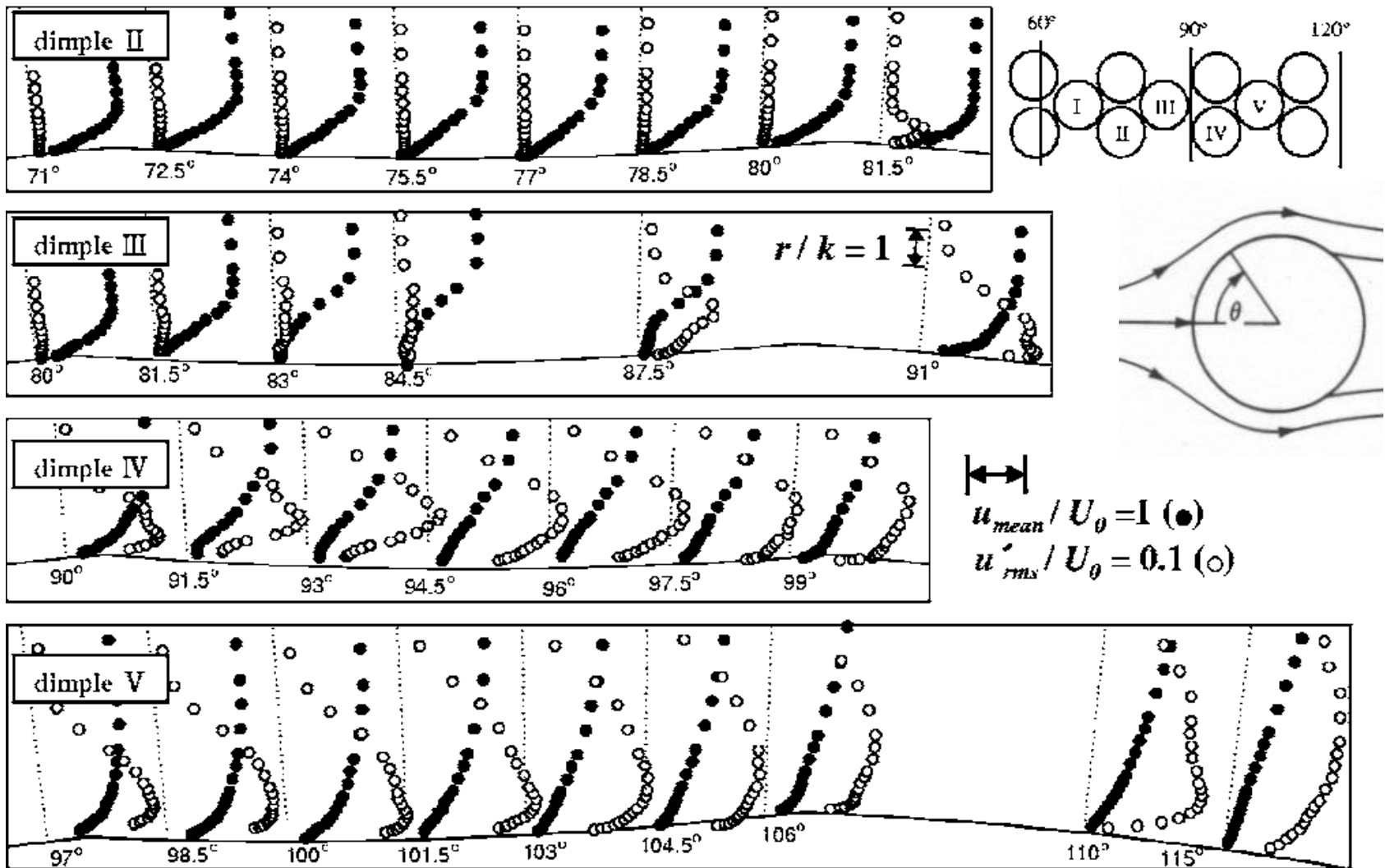
(Choi J, Jeon WP, Choia H)



(b)

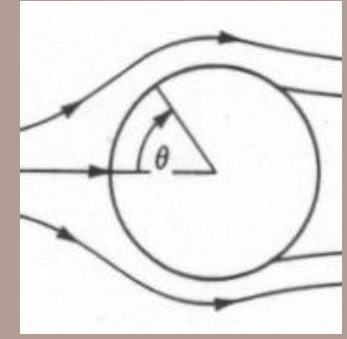
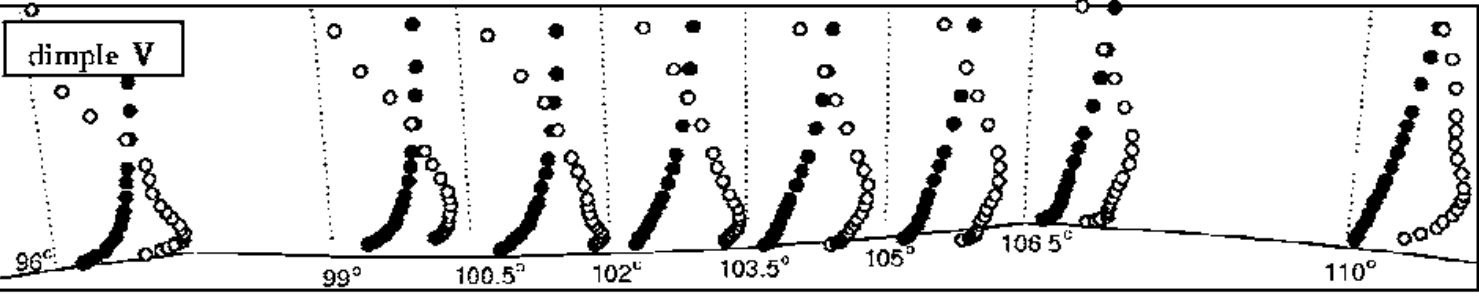
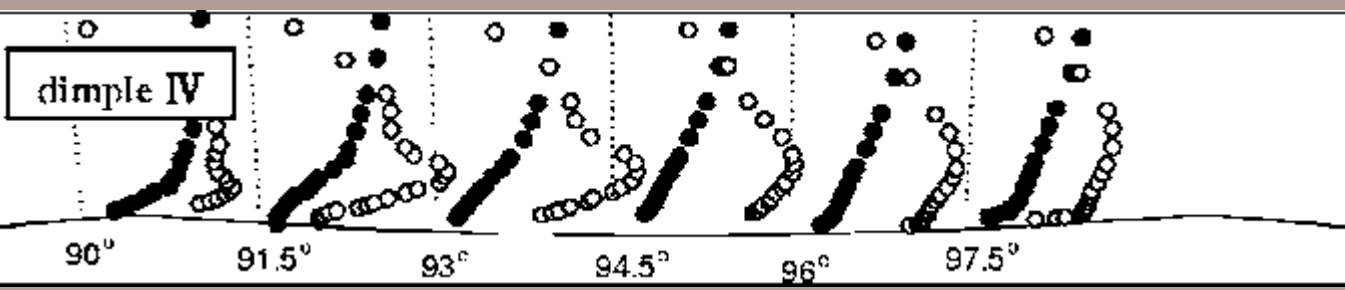
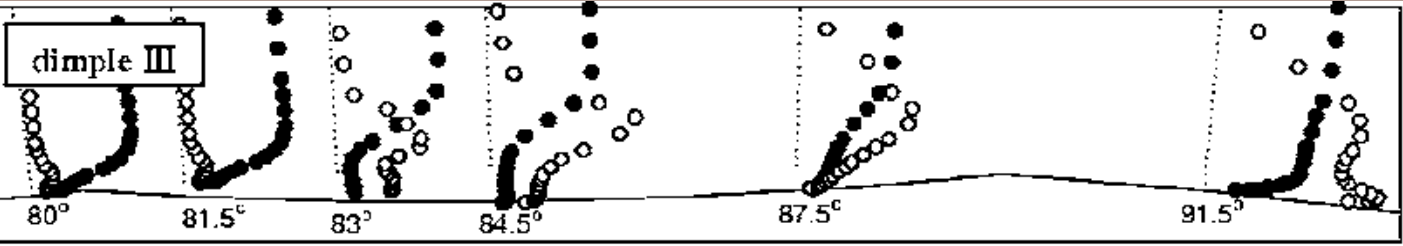
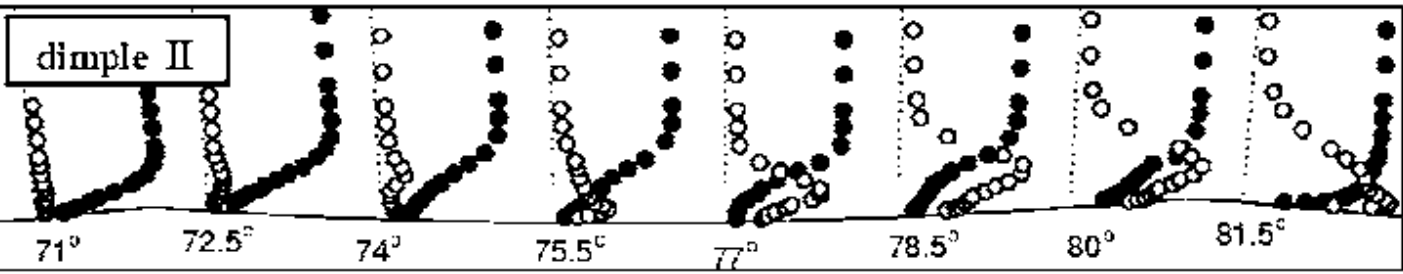
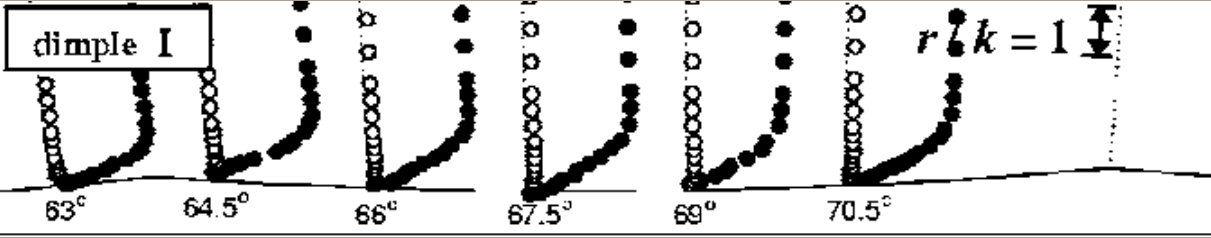
Shows no vortices are ejected

Velocity Profile at $Re=1.0 \times 10^5$

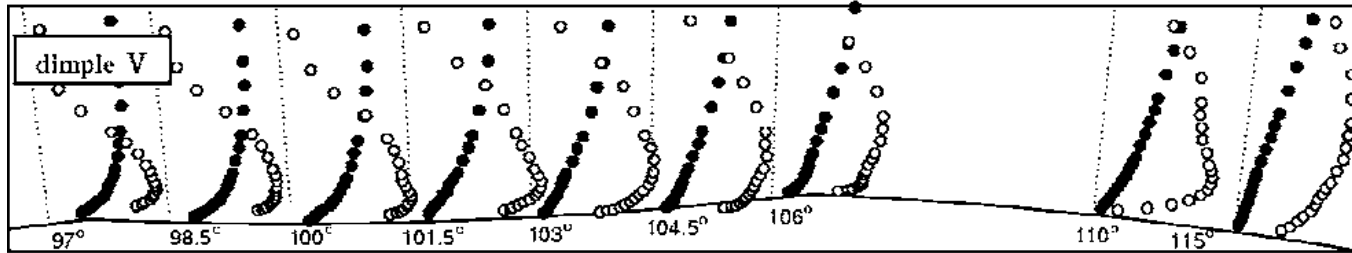


(Choi J, Jeon WP, Choia H)

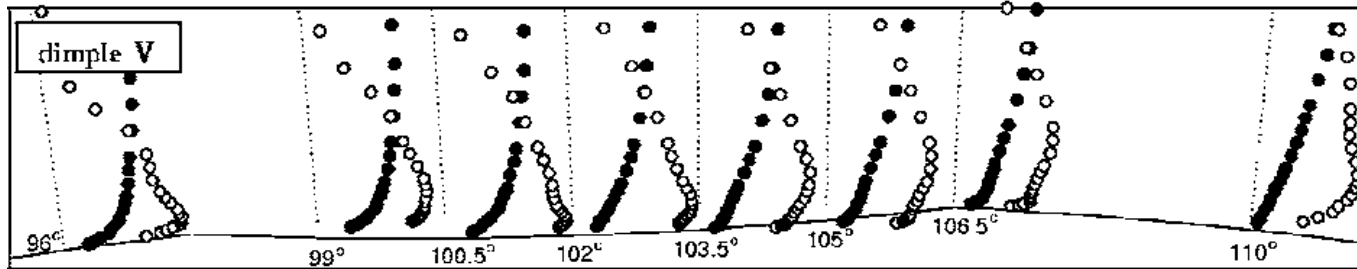
$Re = 1.5 \times 10^5$



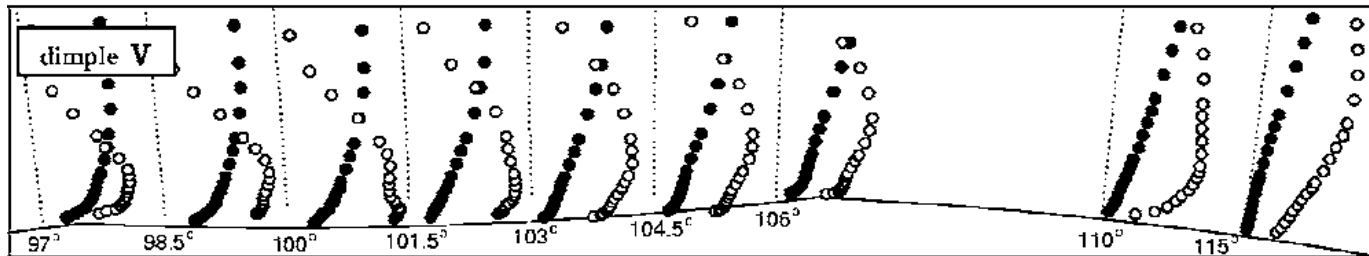
Velocity Profiles at Increasing Re



$Re = 1.0 \times 10^5$
First Separation at
Dimple III (80°)



$Re = 1.5 \times 10^5$
First Separation at
Dimple II (71°)

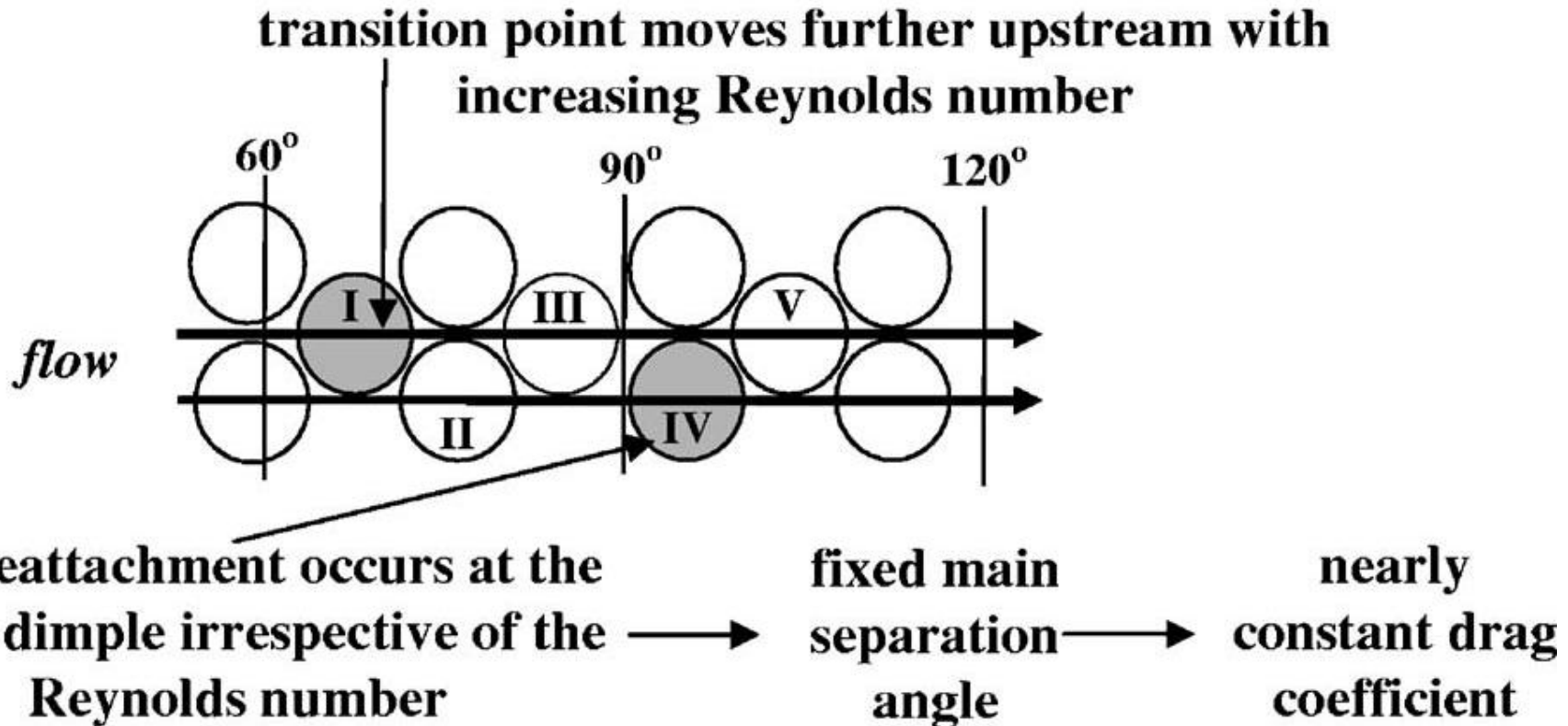


$Re = 2.0 \times 10^5$
First Separation at
Dimple I (63°)

(Choi J, Jeon WP, Choia H)

If $Re > 0.9 \times 10^5$ flow always separates from the surface after dimple V

Conclusion



(Choi J, Jeon WP, Choa H)

References

Choi J, Jeon WP, Choia H. “Mechanism of Drag Reduction by Dimples on a Sphere.” Physics of Fluids. Vol.18 4 041702. 2006

Jeon S, Choi J, Jeon WP , Choi H, Park J, “Active control of flow over a sphere at a sub-critical Reynolds number,” J. Fluid Mech. **517, 113** 2004.

Olson, A. “A Cure for Hooks and Slices? Asymmetric Dimple Patterns and Golf Ball flight.” 2007. http://www.sciencebuddies.org/science-fair-projects/project_ideas/Sports_p012.shtml

Scott, Jeff. “Why do Golf Balls Have Dimples.” 2005. <http://qm-aerospace.blogspot.com/2007/03/why-do-golf-balls-have-dimples.html>



Questions?